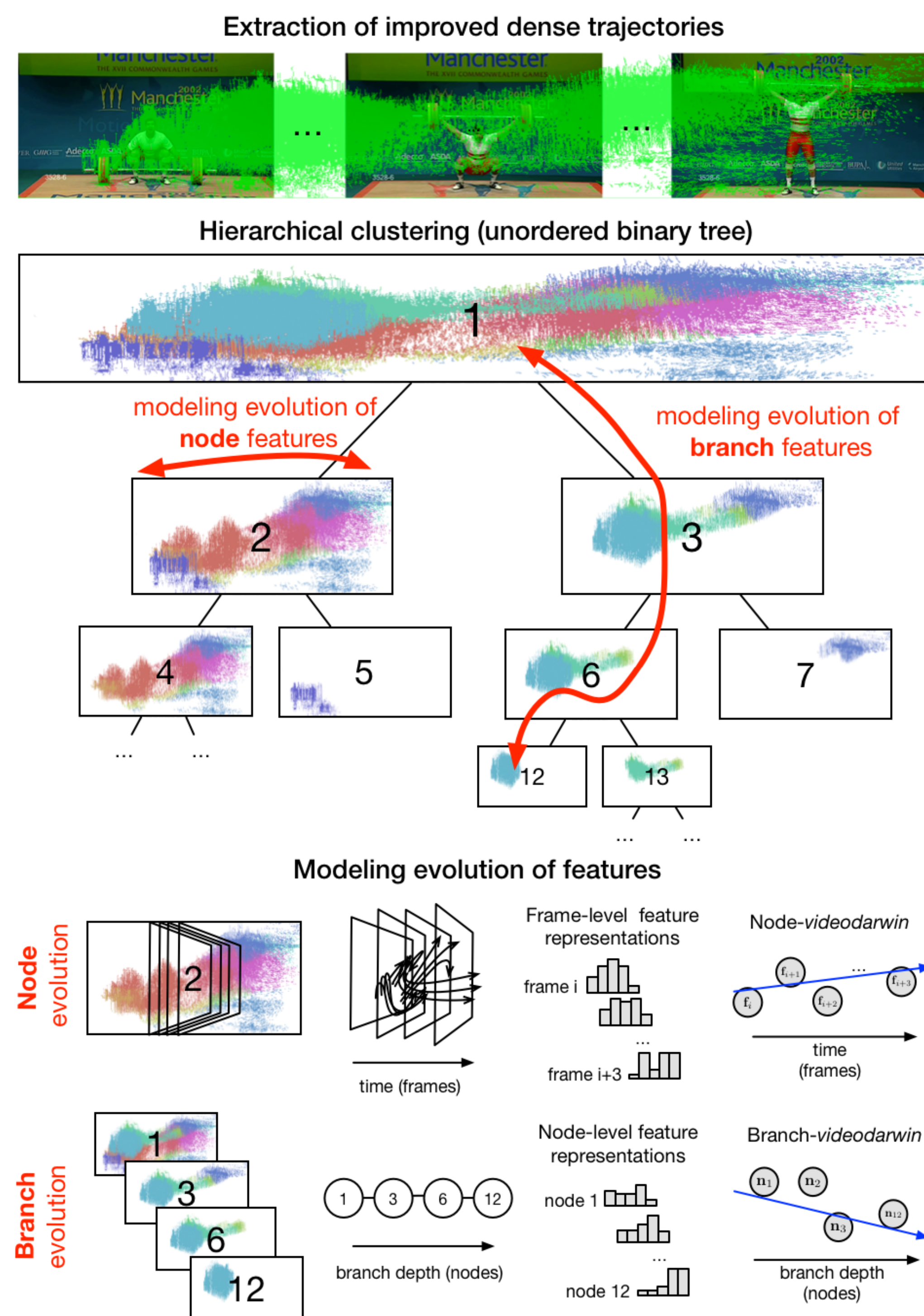


## Section 1: Introduction

- **Proposal:** a novel **mid-level representation for action/activity recognition** on RGB videos on the basis of *improved dense trajectories* (IDT) [1], *fisher vectors* (FV), and *videodarwin* (VD) [2].
- We model the evolution of features not only for the entire video, but also on its subparts (represented as nodes in a binary tree hierarchically grouping subsets of IDTs).
- For each node, we compute Node-VD and Branch-VD. These are later combined with with VD on the whole video trajectories (Root-VD) a to perform classification with SVM.
- Results: better performance than standard VD (i.e., global-VD) and defines the state-of-the-art on *UCF-Sports* [3] and *Highfive* [4] action recognition datasets.

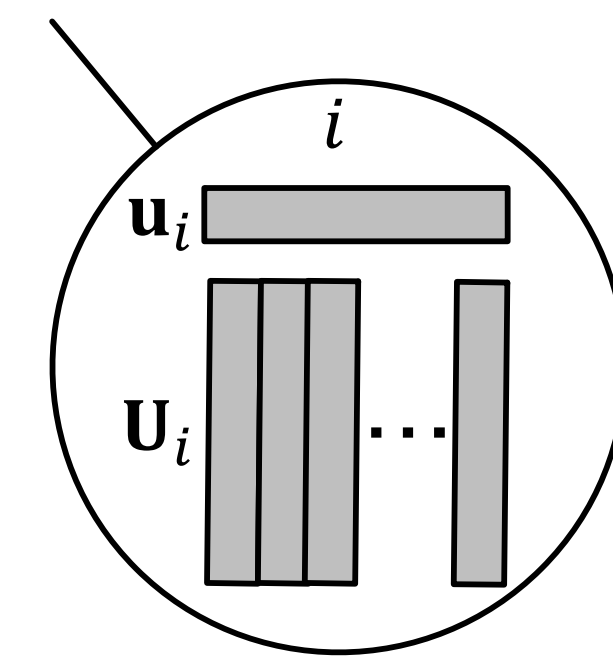


**Fig. 1.** The pipeline. Each leaf node is represented in a different color.

## Section 2: Method

### Binary tree of trajectory construction

- By recursively applying a *divisive spectral clustering algorithm* [5] on the set of trajectories  $D$ .
- For the clustering, we used primitive trajectory features  $\bar{x}, \bar{y}, \bar{t}, \bar{v}_x, \bar{v}_y$ .
- A tree node  $i$  containing the set of trajectories  $D_i \subseteq D$  expands a temporal segment  $(t_i, t'_i)$  of the  $T$ -frame video,  $0 \leq t_i < t'_i < T_i$ .
- Let  $\mathbf{U}_i$  and  $\mathbf{u}_i$  be respectively the matrix of **per-frame FVs** and the **global FV** on  $D_i$ .



**Fig. 2.**  $i$ -th node representation: global FV for all IDTs assigned to the node's cluster,  $\mathbf{u}_i$ , and matrix of per-frame FVs,  $\mathbf{U}_i$ .

### Videodarwin: in-a-nutshell

- VD applies any learning algorithm able to model frame ordering in a sequence. Our choice is to use a *linear regressor* we refer to as  $v$ .
- We compute VD in forward and reverse directions.
- Prior to VD, *time varying mean* is applied. Given  $\mathbf{X} \in \mathbb{R}^{\#\{\text{features}\} \times \#\{\text{timesteps}\}}$ , forward videodarwin (FW) is calculated as follows:

$$\mathbf{m}_\tau^{FW} = \frac{1}{\tau} \sum_{k=1}^{\tau} \mathbf{X}_{:,k}$$

$$\mathbf{V}_{:, \tau}^{FW} = \frac{\mathbf{m}_\tau}{\|\mathbf{m}_\tau\|_1}, \forall \tau = 1, \dots, T$$

Note reverse VD simply re-defines  $\mathbf{m}_\tau^{FW}$  to calculate the varying mean backwards.

- The final VD representation,  $\mathbf{w}$ , is then:

$$\mathbf{w}^{FW} = v(\mathbf{V}^{FW}, (1..T))$$

$$\mathbf{w}^{RV} = v(\mathbf{V}^{RV}, (1..T))$$

$$\mathbf{w} = [\mathbf{w}^{FW}; \mathbf{w}^{RV}]$$

### Mid-level representations

- **Node-VD** representation on node  $i$ , i.e.  $\mathbf{n}_i$ , by taking  $\mathbf{X} = \mathbf{U}_i$ . In particular, **Root-VD** is just the special case  $i = 1$ .
- **Branch-VD** on node  $i$  requires its ancestors to

be represented by their global FV,  $\mathbf{u}_i$ . We construct  $i$ -th node's branch as a matrix of per-node global FVs. That is:

$$\mathbf{B}_i = [\mathbf{u}_i, \mathbf{u}_{i//2^1}, \mathbf{u}_{i//2^2}, \dots, \mathbf{u}_1]$$

- Then,  $i$ -th node's branch representation,  $\mathbf{b}_i$ , is computed taking  $\mathbf{X} = \mathbf{B}_i$ .

### Darwintree kernel classification

- Each tree has an arbitrary number of nodes and each node is represented by the combination of Node- and Branch-VD:

$$\mathbf{s}_i = [\mathbf{n}_i; \mathbf{b}_i], i > 1.$$

- We define the **Darwintree kernel** function  $k_{DT}$  between two trees  $(S, S')$  based on pairwise similarities of their nodes' representations:

$$k_{DT}(S, S') = \frac{1}{|S||S'|} \sum_{\mathbf{s}_i \in S} \sum_{\mathbf{s}_j \in S'} \phi(\mathbf{s}_i, \mathbf{s}_j),$$

$\forall i, j > 1$ , where  $\phi(\cdot, \cdot)$  can be any linear mapping function (e.g. dot product).

Since root node has no ancestors, we define a different kernel:

$$k_{\text{root}}(\mathbf{n}_1, \mathbf{n}'_1) = \phi(\mathbf{n}_1, \mathbf{n}'_1)$$

- Finally, a **linear SVM** performs classification using a linear combination of  $k_{DT}$  and  $k_{\text{root}}$ :

$$k_{\text{final}} = (1 - \alpha) k_{DT} + \alpha k_{\text{root}}.$$

## Section 3: Results

- We validated our method in UCF-Sports [3] and Highfive [4] datasets.
- **Node-VD (N) and Branch-VD (B) against Darwintrees (DT):** DT provided superior performance than N or B on UCF-Sports. On Highfive, DT demonstrated its complementarity with Root-VD.

Method	UCF [3]	Highfive [4] (mAP)		
		F#1	F#2	TOTAL
N	85.11	76.55	70.41	73.48
B	80.85	76.25	<b>72.53</b>	74.39
DT (N+B)	<b>91.49</b>	76.04	70.37	73.21
Root+DT	<b>91.49</b>	<b>79.24</b>	72.32	<b>75.78</b>

**Table 1.** Node-VD (N) Branch-VD (B) versus Darwintrees (DT) and DT combined with root (Root+DT) at kernel level.

- We also compared to other **SOTA methods**.

Method	Accuracy (%)
Ours (Root+DT)	<b>91.5</b>
Karaman et al. (2014)	90.8
Ma et al. (2015)	89.4
Wang et al. (2013)	85.2
Ma et al. (2013)	81.7
Raptis et al. (2012)	79.3

**Table 2.** Results on UCF-Sports dataset.

Method	mAP
Ours (Root+DT)	<b>75.8</b>
Wang et al. (2015)	69.4
Karaman et al. (2014)	65.4
Ma et al. (2015)	64.4
Gaidon et al. (2014)	62.4
Ma et al. (2013)	36.9
Patron-Pérez et al. (2012)	42.4

**Table 3.** Results on Highfive dataset.

## Section 4: Conclusions

- A novel mid-level representation for action recognition on RGB videos.
- We modeled the evolution of features on both trajectory clusters and on the hierarchy defining those groupings.
- It is applicable to any local spatio-temporal feature representation.
- We demonstrated superior performance than other SOTA methods, especially for Highfive.

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